

SUNDAY	MONDAY	TUESDAY	WEDNESDAY	THURSDAY	FRIDAY	SATURDAY
		<b>1</b> 廿三	<b>2</b> 廿四	<b>3</b> 廿五	<b>4</b> 廿六	<b>5</b> 驚蟄
		There is no right-angled triangle with three sides rational and area equals 1.	2 is the only integer greater than 1 with $\varphi(n)$ odd, where $\varphi(n)$ is the number of positive integer from 1 to $n$ that are relatively prime to $n$ .	Today is the 171 <sup>st</sup> birthday of Georg Cantor.	$2 + \sqrt{2 + \sqrt{2 + \sqrt{2 + \dots}}} = ?$	Do you know that 5 is the smallest positive integer whose square is the sum of two nonzero squares!
<b>6</b> 廿八	<b>7</b> 廿九	<b>8</b> 三十	<b>9</b> 初一	<b>10</b> 初二	<b>11</b> 初三	<b>12</b> 初四
$\sqrt{1^3 + 2^3 + 3^3} = ?$	7 is the largest prime followed by a cube.	Fact: 1 byte = 8 bits.	The sum $9^0 + 9^1 + 9^2 + \dots + 9^n$ is always a triangular number.	In the overlapping triangles $\triangle ABC$ and $\triangle ABE$ sharing common side $AB$ , $\angle EAB$ and $\angle ABC$ are right angles, $AB = 5$ , $BC = 3$ , $AE = 7$ , and $AC$ and $BE$ intersect at $D$ . What is the difference between the areas of $\triangle ADE$ and $\triangle BDC$ ? 	How many ways can we tessellate a $3 \times 4$ rectangle with $2 \times 1$ rectangles?	12 is the smallest sublime number.
<b>13</b> 初五	<b>14</b> 初六	<b>15</b> 初七	<b>16</b> 初八	<b>17</b> 初九	<b>18</b> 初十	<b>19</b> 十一
A triangle has side lengths $n$ , $n+1$ and $n+2$ and its area is 84. Find $n$ .	i eight sum pi and it was delicious. Happy pi day!	15 is the 4 <sup>th</sup> Bell number.	Find the number of positive integers which is not greater than 48 and are coprime with 48.	$17^2$ can be written as the sum of 1, 2, 3, 4, 5, 6, 7, 8 distinct squares. Try them out!	Fact: 18 is the legal age in many countries.	An integer $n \geq 2$ is said to be "good" if $n$ divides $(n-1)! + 1$ . Find the 8 <sup>th</sup> "good" integer.
<b>20</b> 春分	<b>21</b> 十三	<b>22</b> 十四	<b>23</b> 十五	<b>24</b> 十六	<b>25</b> 耶穌受難節	<b>26</b> 耶穌受難節翌日
Find the integer part of $(1+0.001)^{3000} + (1-0.001)^{3000}$ .	Four rectangles arranged as  shape. Their areas (left to right, top to bottom) are 6, 10, $x$ and 35 respectively. Find $x$ .	Let $I$ be the incentre of $ABC$ , $D$ be a point on the circumcircle of $ABC$ so that $A, I, D$ are collinear (draw it out). If $\angle IBD = 79^\circ$ and $\angle BDA = x^\circ$ , find $x$ .	Today is the 134 <sup>th</sup> birthday of Emmy Noether.	Find the number of zeros at the end of 100! .	Find the maximum integer $n$ such that $n+2$ divides $n^3 + 35$ .	Today is the 103 <sup>rd</sup> birthday of Paul Erdős, after whom "Erdős numbers" are named.
<b>27</b> 復活節	<b>28</b> 復活節星期一	<b>29</b> 廿一	<b>30</b> 廿二	<b>31</b> 廿三		
The product of divisors of $3^{53}$ is $(3^{53})^k$ . Find $k$ .	Today is the 88 <sup>th</sup> Birthday of Alexander Grothendieck.	Do you know that 29 is the 7 <sup>th</sup> Lucas number!	30 is the Coxeter number in the Lie Group $E_8$ .	Today is the 420 <sup>th</sup> birthday of René Descartes.		



第五十七屆國際數學奧林匹克  
57th International Mathematical Olympiad

**MARCH 2016**