07757 P	25025					~ 4 = 1
SUN H	MON —	TUE 二	WED Ξ	THU M	FRI 📶	SAT 六
	過河問 妻過河 假設船 運 華 等 中 東 西	題之 題是數學上頗具趣味的題目,有夫 、商人過河、農夫過河等問題。 夫要把一匹狼、一隻羊和一棵白菜 。附帶條件是船夫必須在場,否則 吃白菜、狼就會吃羊;而船夫的船 只能運送一種東西。怎樣才能把所 都運過河呢?這類的數學模型稱為 移模型。	Find the unit digit of 6" - 5".  香港特別行政區 成立紀念日  初九	Given a 3-digit number $\overline{PQR} = x^3$ and $P + Q + R = y^3$ , find $y$ .	A solid consisting of a cylinder of height $h$ and a hemisphere of radius $r$ . The area of the curved surface of the cylinder is twice that of the hemisphere. Volume of the cylinder: volume of the hemisphere is $k: 1, k=?$	Given that $(z + 1) \alpha x^3$ . When $x = 3$ , $z = 53$ . When $z = 127$ , what is the value of $x$ ?
Find the maximum value of $-3x^2 + 12x - 7$ .	Given $\underline{x}$ is a less-than-10 positive integer, $468 + \overline{xx} + \overline{xx} + \overline{xx} = \overline{xxx}$ , $x = ?$	For any 3-digit prime number $\overline{ABC}$ , find the smallest prime factor of $\overline{ABCABC}$ .	The ratio of the internal base radii of containers $P$ and $Q$ is $1:3$ . $A$ and $B$ are two cubes with side lengths in the ratio $1:2$ . $A$ and $B$ are put into $P$ and $Q$ respectively. If the rise in the water level in $P$ is $1$ cm, the rise in the water level in $Q$ is $\frac{k}{9}$ cm. $k=?$	A(a, 4), $B(5, 5)$ and $C(1, 6)$ are 3 collinear points. Find $a$ .	In the figure, $AC \parallel DE$ , $FG \parallel BC$ and $AD: DF: FB = 1:2:3$ . If $BE = \frac{50}{3}$ , find $FG$ .	If $a, b$ satisfy $3^{x^2+1} = 9^{11x-30}$ , find $\frac{a+b}{2}$ .
If an equilateral triangle of side length $k$ cm consists of exactly 144 equilateral triangles of side lengths 1 cm inside, find $k$ .	修改自《九章算術》方程 今有麻九斗、麥七斗、菽三斗、答二斗、黍 五斗、直錢一百四十;麻七斗、麥六斗、菽 四斗、答五斗、黍三斗、直錢一百二十八; 麻三斗、麥五斗、菽七斗、答六斗、黍四 斗、直錢一百一十六;麻二斗、麥五斗、菽 三斗、答九斗、黍四斗、直錢一百一十二; 麻一斗、麥三斗、菽二斗、答八斗、黍五 斗、直錢九十五。 問麥、菽及黍各一斗共幾何?	If a and b are distinct real numbers such that $a^2 + 4a + 1 = 0$ and $b^2 + 4b + 1 = 0$ , find $a^2 + b^2$ .	If $x^2 + y^2 = 285$ , $x^2y^2 = 900$ , $x > 0$ , $y > 0$ , $x - y = ?$	$\sqrt{1+3+5++31} = ?$	Given $1^3 + 2^3 + + X^3 = 153^2$ , find $X$ .	Find the last 2 digits of $7^{123} - 5^{123}$ .
12	15	14	13	16 #M	<b>↓</b> #±	<b>10</b> #☆
Find the maximum value of $12 - 4 \sin\theta - 3\cos 2\theta$ .	Find the value of cos <sup>-1</sup> (sin70°).	轉錄自《九章算術》盈不足 今有共買羊,人出五,不足四十五;人出 七,不足三。問人數幾何?	Given $y^2 = \overline{PP}^2 = \overline{AMA}$ , with $M = 2A = 4P$ , find y.	Given $n^2 = 1 + 3 + 5 + + 45$ , find $n$ .	If $AC = 27$ , $BC = 36$ , $AB = 45$ and $AD : DE : EC = 3 : 4 : 2$ , find the area of the smallest shaded region.  A  D  27	A 5-digit number $\overline{80AB9}$ has the same remainder 2 when it is divided by 13 or 37. Find $(A + B)^2$ .
<b>19</b>	<b>20</b>	<b>21</b>	<b>22</b>	<b>23</b> 大著	B 36 C <b>24</b> 初三	<b>25</b>
$\frac{x}{\begin{vmatrix} 13 & -4 \\ -2 & 3 \end{vmatrix}} = \frac{y}{\begin{vmatrix} -4 & 2 \\ 3 & 5 \end{vmatrix}} = \frac{z}{\begin{vmatrix} 2 & 3 \\ 5 & -2 \end{vmatrix}}.$ If $x = 31t$ , $y = -pt$ , $z = -19t$ , find $p$ .	Given $\sqrt{x\sqrt{x\sqrt{x\sqrt{x}}}} = 27$ . Find $x$ .	Find the coefficient of $y^{-4}$ in the expansion of $(y + y^{-1})^8$ .	Find the largest prime factor of 2001.	修改自百人搬磚《古算題》 百人搬百磚,男子一搬八,婦女一搬三,小 孩三搬一,請問小孩先搬幾塊磚?	If $3 \times a \times b \times c \times 37 = 111 \ 111$ , where $a$ , $b$ , $c$ are consecutive prime numbers, find $a + b + c$ .	
<b>26</b>	<b>27</b>	<b>28</b>	<b>29</b>	<b>30</b>	<b>31</b>	<b>JULY</b> 七月 2009

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