

FEBRUARY

二月 2009

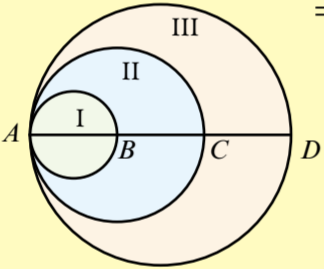
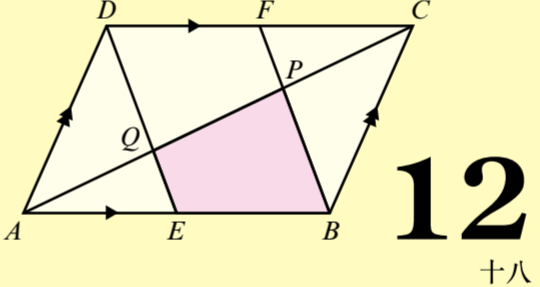
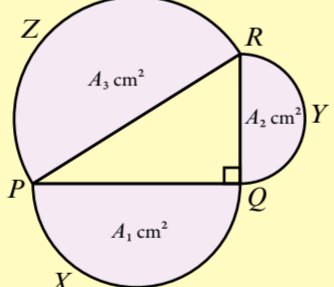
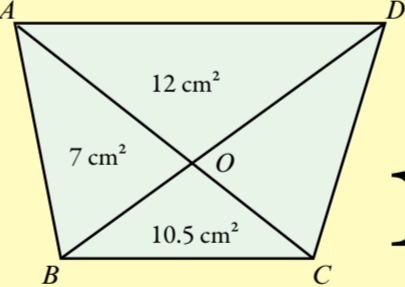
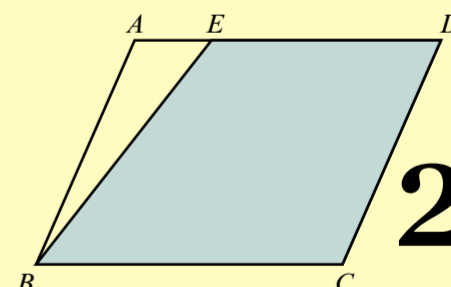
數學

2422U + 6578

1331U + 5878

中文電碼

中文電碼，原本是於電報之中傳送中文信息的方法。它是第一個把漢字化作電子訊號的編碼表。中文電碼表採用了四位阿拉伯數字作代號，從0001到9999按四位數順序排列，最多可表達一萬個漢字、字母和符號。漢字先按部首，後按筆劃排列。字母和符號放到電碼表的最尾。如香港身份證，於每位持證人的中文姓名下面，均印有中文電碼。此外，在很多政府或商業機構的表格中，亦設有填寫中文電碼一欄，以便輸入電腦。

${}^9C_9 - {}^9C_8 + {}^9C_7 - {}^9C_6 + {}^9C_5 - {}^9C_4 + {}^9C_3 - {}^9C_2 + {}^9C_1 = ?$	The smallest prime number x such that $17x + 3$ is also a prime number.	A straight line $y = m$ ($m > 0$) intersects the curve $y = x^2 - 3x - 4$ at $A(\alpha, k)$ and $B(\beta, m)$, find the value of $\alpha + \beta$.	$\frac{\pi}{x} = \frac{1}{1} - \frac{1}{3} + \frac{1}{5} - \frac{1}{7} + \dots$, find x .	The unit digit of $1^{2009} \times 3^{2009} \times 5^{2009} \times 7^{2009} \times 9^{2009}$.	If $\frac{P_r}{rC_r} = 720$, find r .	The remainder of $7^{2009} \div 100$.
1 初七	2 初八	3 初九	4 立春	5 十一	6 十二	7 十三
$\sqrt{1 + 7\sqrt{1 + 8\sqrt{1 + 9\sqrt{\dots}}}} = ?$	In the figure, $ABCD$ is a straight line with $AB = BC = CD$. Three circles I, II and III are drawn respectively on AB , AC and AD as diameters. Area of circle I : Area of circle II : Area of circle III = $1 : 4 : s$, $s = ?$	If $2x = 3y = 5z$, then $x : y : z = 15 : r : 6$, $r = ?$	修改自九兒問甲《古算題》 一個公公九個兒，若問生年總不知， 自長排來差三歲，其年二百七歲期， 借問幼兒多少歲，各兒歲數要詳推。	E and F are the mid-points of AB and DC respectively. BF and ED cut AC at P and Q respectively. If the area of $ABCD$ is 48, find the area of the shaded part.	If the polar coordinates of the two points A and B are $(5, 45^\circ)$ and $(12, 135^\circ)$ respectively, find the distance between A and B .	A bag contains 2 black balls, 2 green balls and 2 yellow balls. John draws one ball at a time randomly without replacement until a green ball is drawn, the probability that he needs at most 4 draws is $\frac{k}{15}$, $k = ?$
8 十四	 9 元宵	10 十六	11 十七	 12 十八	13 十九	14 二十
Find z if $\frac{1}{x} + \frac{1}{y} + \frac{1}{z} = \frac{9}{10}$ and $x < y < z$.	If $x = \frac{1}{4}$ is one of the solution of $\log_4 x - \log_4 16 = 1$, find the other solution.	In the figure, PXQ , QYR and RZP are semicircles and their areas are $A_1 \text{ cm}^2$, $A_2 \text{ cm}^2$ and $A_3 \text{ cm}^2$ respectively. If $A_1 = 12$ and $A_2 = 5$, $A_3 = ?$	In the figure, AC cuts BD at O . The areas of $\triangle AOB$, $\triangle AOD$ and $\triangle BOC$ are 7 cm^2 , 12 cm^2 and 10.5 cm^2 respectively. Find the area of $\triangle OCD$.	Dividing 404 oranges and 108 apples equally among a group of children left 5 oranges and 3 apples. There are 2 possible numbers of children satisfying this situation. Find the number of oranges each child gets when the larger number of children is taken.	A man marks his goods at a price that will bring him a profit of 25% on the cost price. If he wants to sell his goods to a friend at the cost price, find the percentage discount on the marked price.	In the figure, $ABCD$ is a parallelogram and $AE : ED = 1 : 3$. If the area of $\triangle ABE = 3 \text{ cm}^2$. Find the area of the shaded region.
15 廿一	16 廿二	 17 廿三	 18 雨水	19 廿五	20 廿六	 21 廿七
Number of zeros of " $1 \times 2 \times 3 \times \dots \times 99$ ".	輯錄自《九章算術》方程： 今有五羊、四犬、三雞、二兔，直錢一千四百九十六；四羊、二犬、六雞、三兔，直錢一千一百七十五；三羊、一犬、七雞、五兔，直錢九百五十八；二羊、三犬、五雞、一兔，直錢八百六十一。問雞價幾何？	The number of arrangements for 5 people sitting in a round circle.	$(\sqrt{2} + \sqrt{1})^{-1} + (\sqrt{3} + \sqrt{2})^{-1} + \dots + (\sqrt{n} + \sqrt{n-1})^{-1} = 4$, find n .	The coefficient of n for $(2n + 1)^{13}$	If a class of children is divided into groups of 5, 2 children will be left over. If the class is divided into groups of 6, 3 children will be left over. What is the smallest number of children the class could have?	Given $\log_{72-x} 1936 = 2$, find x .
22 廿八	23 廿九	24 三十	25 二月	26 初二	27 初三	28 初四